

# Locating Human Meanings: Less Typology, More Constraint

*James Higginbotham*      **On Semantics**

In this article I will formulate a conception of semantic inquiry in generative linguistics. In conjunction with specific applications, I will address questions about domains of investigation, the data in those domains that ought to be accounted

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Elizabeth, on her side, had much to do. She wanted to ascertain the feelings of each of her visitors, she wanted to compose her own, and to make herself agreeable to all; and in the latter object, where she feared most to fail, she was most sure of success, for those to whom she endeavoured to give pleasure were prepossessed in her favour.

Bingley was ready,  
Georgiana was eager, and  
Darcy determined to be pleased.

Jane Austen  
*Pride and Prejudice*



Bingley is eager to please.

(a) Bingley is eager to be one who pleases.

#(b) Bingley is eager to be one who is pleased.

Bingley is easy to please.

#(a) Bingley can easily please.

(b) Bingley can easily be pleased.

Human children naturally acquire languages  
that somehow generate boundlessly many expressions  
that connect meanings (whatever they are)  
with pronunciations (whatever they are)  
in accord with certain constraints.



Human languages generate boundlessly many expressions that connect meanings with pronunciations in accord with certain constraints.

Do human linguistic expressions exhibit meanings of different types?

- |           |                            |
|-----------|----------------------------|
| (1) Fido  | (5) every cat              |
| (2) chase | (6) chase every cat        |
| (3) every | (7) Fido chase every cat   |
| (4) cat   | (8) Fido chased every cat. |

And if so, which meaning types do they exhibit?

## What are the Human Meaning Types?

- one familiar answer, via Frege's conception of ideal languages
  - (i) a basic type  $\langle e \rangle$ , for entity denoters
  - (ii) a basic type  $\langle t \rangle$ , for thoughts or truth-value denoters
  - (iii) if  $\langle \alpha \rangle$  and  $\langle \beta \rangle$  are types, then so is  $\langle \alpha, \beta \rangle$

Fido, Garfield, Zero, ...

Fido barked.

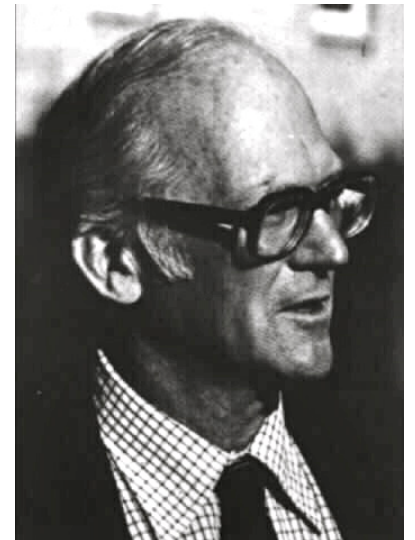
Fido chased Garfield.

Zero precedes every positive integer.



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- on the other hand, one might suspect
  - (a) there are no meanings of type  $\langle e \rangle$
  - (b) there are no meanings of type  $\langle t \rangle$
  - (c) the recursive principle is ~~crazy~~ implausible



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That's a lot of types

a basic type  $\langle e \rangle$ , for entity denoters  
 a basic type  $\langle t \rangle$ , for truth-value denoters  
 if  $\langle \alpha \rangle$  and  $\langle \beta \rangle$  are types, then so is  $\langle \alpha, \beta \rangle$

at Level 5,  
 more than  $5 \times 10^{12}$

0.	$\langle e \rangle$	$\langle t \rangle$	(2) types at Level Zero			
1.	$\langle e, e \rangle$	$\langle e, t \rangle$	$\langle t, e \rangle$	$\langle t, t \rangle$	(4) at Level One, all $\langle 0, 0 \rangle$	
2.	eight of $\langle 0, 1 \rangle$	eight of $\langle 1, 0 \rangle$	(32), including $\langle e, et \rangle$	sixteen of $\langle 1, 1 \rangle$	and $\langle et, t \rangle$	
3.	64 of $\langle 0, 2 \rangle$	64 of $\langle 2, 0 \rangle$	(1408), including	128 of $\langle 1, 2 \rangle$	128 of $\langle 2, 1 \rangle$	$\langle e, \langle e, et \rangle \rangle$ ; $\langle et, \langle et, t \rangle \rangle$ ;
	1024 of $\langle 2, 2 \rangle$		and $\langle \langle e, et \rangle, t \rangle$			
4.	2816 of $\langle 0, 3 \rangle$	2816 of $\langle 3, 0 \rangle$	(2,089,472), including	5632 of $\langle 1, 3 \rangle$	5632 of $\langle 1, 3 \rangle$	$\langle e, \langle e, \langle e, \langle et \rangle \rangle \rangle$ and
	45,056 of $\langle 2, 3 \rangle$	45,056 of $\langle 3, 2 \rangle$	$\langle \langle e, et \rangle, \langle \langle e, et \rangle, t \rangle$	1,982,464 of $\langle 3, 3 \rangle$		



a basic type  $\langle e \rangle$ , for entity denoters

a basic type  $\langle t \rangle$ , for truth-value denoters

if  $\langle \alpha \rangle$  and  $\langle \beta \rangle$  are types, then so is  $\langle \alpha, \beta \rangle$

---

0.  $\langle e \rangle$        $\langle t \rangle$

ziggy

Number(ziggy)

1.  $\langle e, t \rangle$

$\lambda x. \text{Number}(x)$

2.  $\langle e, et \rangle$

$\lambda y. \lambda x. \text{Predecessor}(x, y)$

$\lambda y. \lambda x. \text{Precedes}(x, y)$

3.  $\langle \langle e, et \rangle, t \rangle$

**Transitive** $[\lambda y. \lambda x. \text{Precedes}(x, y)]$

**Intransitive** $[\lambda y. \lambda x. \text{Predecessor}(x, y)]$

4.  $\langle \langle e, et \rangle, \langle \langle e, et \rangle, t \rangle \rangle$

**TransitiveClosure** $[\lambda y. \lambda x. \text{Precedes}(x, y), \lambda y. \lambda x. \text{Predecessor}(x, y)]$

Frege invented a language  
that supported abstraction on relations

Three precedes four.

Three is something *that precedes four*.

$\lambda x. \text{Precedes}(x, 4)$

Four is something *that three precedes*.

$\lambda x. \text{Precedes}(3, x)$

\*Precedes is somerelat *that three four*.

$\lambda R. R(3, 4)$

The plate outweighs the knife.

The plate is something *which outweighs the knife*.

The knife is something *which the plate outweighs*.

\*Outweighs is somerelat *which the plate the knife*.

a basic type  $\langle e \rangle$ , for entity denoters

a basic type  $\langle t \rangle$ , for truth-value denoters

if  $\langle \alpha \rangle$  and  $\langle \beta \rangle$  are types, then so is  $\langle \alpha, \beta \rangle$

---

...

3.  $\langle \langle e, et \rangle, t \rangle$       **Transitive** $[\lambda y. \lambda x. \text{Precedes}(x, y)]$

*Precedes transits.*

4.  $\langle \langle e, et \rangle, \langle \langle e, et \rangle, t \rangle \rangle$

**TransitiveClosure** $[\lambda y. \lambda x. \text{Precedes}(x, y), \lambda y. \lambda x. \text{Predecessor}(x, y)]$

*Precedes transits predecessor.*

a basic type  $\langle e \rangle$ , for entity denoters  
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---

- |    |                                     |                                  |  |                        |  |
|----|-------------------------------------|----------------------------------|--|------------------------|--|
| 0. | $\langle e \rangle$                 | $\langle t \rangle$              | (2) types at Level Zero  |                        |  |
| 1. | $\langle e, e \rangle$              | $\langle e, t \rangle$           | $\langle t, e \rangle$   | $\langle t, t \rangle$ | (4) at Level One, all $\langle 0, 0 \rangle$ |
| 2. | eight of $\langle 0, 1 \rangle$     | eight of $\langle 1, 0 \rangle$  | (32), including $\langle e, et \rangle$  |                        | and $\langle et, t \rangle$                  |
|    | sixteen of $\langle 1, 1 \rangle$   |                                  |  |                        |  |
| 3. | 64 of $\langle 0, 2 \rangle$        | 64 of $\langle 2, 0 \rangle$     | (1408), including  |                        |  |
|    | 128 of $\langle 1, 2 \rangle$       | 128 of $\langle 2, 1 \rangle$    | $\langle e, \langle e, et \rangle \rangle$ ; $\langle et, \langle et, t \rangle \rangle$ ; |                        |  |
|    | 1024 of $\langle 2, 2 \rangle$      |                                  | and $\langle \langle e, et \rangle, t \rangle$   |                        |  |
| 4. | 2816 of $\langle 0, 3 \rangle$      | 2816 of $\langle 3, 0 \rangle$   | (2,089,472), including   |                        |  |
|    | 5632 of $\langle 1, 3 \rangle$      | 5632 of $\langle 1, 3 \rangle$   | $\langle e, \langle e, \langle e, et \rangle \rangle$ and                                  |                        |  |
|    | 45,056 of $\langle 2, 3 \rangle$    | 45,056 of $\langle 3, 2 \rangle$ | $\langle \langle e, et \rangle, \langle \langle e, et \rangle, t \rangle$                  |                        |  |
|    | 1,982,464 of $\langle 3, 3 \rangle$ |                                  |  |                        |  |

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- a suggestion in the footnotes of "On Semantics"

### Filter Functionals:

no  $\langle \alpha, \beta \rangle$  types where  $\alpha$  is non-basic

$\langle et, t \rangle$

$\langle e, \langle e, \langle e, \langle e, t \rangle \rangle \rangle \rangle$



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- a suggestion less permissive than “*Filter Functionals*”
  - No Recursion: no  $\langle \alpha, \beta \rangle$  types
    - (1) a basic type  $\langle M \rangle$ , for monadic predicates
    - (2) a basic type  $\langle D \rangle$ , for dyadic predicates
    - ...
    - (n) a basic type  $\langle N \rangle$ , for N-adic predicates

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- a suggestion much less permissive than “*Filter Functionals*”

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(1) a basic type  $\langle M \rangle$ , for monadic predicates

(2) a basic type  $\langle D \rangle$ , for dyadic predicates

Minimal Relationality

# Degrees of “Semantic Relationality”

- None: *e.g.*, Monadic Predicate Calculi
  - some  $M$  is (also)  $P$
  
- Unbounded: *e.g.*, Tarski-style Predicate Calculi
  - $Mx$  &  $Py$  &  $Syz$  &  $Rxw$  &  $Bzuv$  & ...



## a Tarski-style Predicate Calculus permits Unbounded Adicity

Brown(x)	1	
Brown(x) & Dog(x)	1	
Saw(x, y)	2	
Dog(x) & Saw(x, y)	2	unbounded adicity, but no typology
Dog(x) & Saw(x, y) & Cat(z)	3	...
Dog(x) & Saw(x, y) & Cat(z) & Saw(z, w)	4	each expression (wff) is a <u>sentence</u>
Dog(Fido) & Saw(Fido, Garfield)	0	...
Between(x, y, z)	3	and each <u>sentence</u> is <u>satisfied</u> by
Quartet(x, y, z, w)	4	all/some/no
Between(x, y, z) & Quartet(w, x, y, x)	4	<u>sequences</u> of
Between(x, y, z) & Quartet(w, v, y, x)	5	domain entities
Between(x, y, z) & Quartet(w, v, u, y)	6	
Between(x, y, z) & Quartet(w, v, u, t)	7	

# Degrees of “Semantic Relationality”

- None: *e.g.*, Monadic Predicate Calculi
  - some **M** is (also) **P**
- Some, but Less Than Unbounded
  - Minimally Relational (maximally limited)
  - “Mildly” Relational (severely limited)
  - Bounded, but still “pretty permissive”
- Unbounded: *e.g.*, Tarski-style Predicate Calculi
  - **M**<sub>x</sub> & **P**<sub>y</sub> & **S**<sub>yz</sub> & **R**<sub>xw</sub> & **B**<sub>zuv</sub> & ...

## Plan for Rest of the Talk

- Characterize a notion of “Minimally Relational”
- Describe a Possible Language that is Minimally Relational and (correlatively) “Minimally Interesting” in this respect
- Suggest that while Human Meanings may be a little more interesting, they approximate Minimal Relationality
- End with reminders of some other respects in which Human Languages seem to be Minimally Interesting, and suggest that semantic typology is yet another case

# Minimally Relational

- admit dyadic predicates, but no predicates of higher adicity
  - ABOVE(, ) and CAUSE(, ) are **OK**; so is AGENT(, )
  - SELL(, , , ) and BETWEEN(, , ) are **not-OK**
- admit relational notions only in the lexicon
  - BETWEEN(, , JIM) is **not-OK**
  - ON(, ) & HORSE( ) is **not-OK**
- correspondingly limited combinatorial operations
  - if ON(, ) and HORSE( ) combine, the result is **monadic**
  - combining lexical items **cannot** yield relational notions

We can imagine a language whose expressions are limited to...


(1) finitely many atomic monadic predicates:  $M_1(\_) \dots M_k(\_)$

(2) finitely many atomic dyadic predicates:  $D_1(\_, \_) \dots D_j(\_, \_)$

(3) boundlessly many complex monadic predicates

Monad + Monad  $\rightarrow$  Monad

BROWN( $\_$ ) + HORSE( $\_$ )  $\rightarrow$  BROWN( $\_$ )<sup>^</sup>HORSE( $\_$ )



FAST( $\_$ ) + BROWN( $\_$ )<sup>^</sup>HORSE( $\_$ )  $\rightarrow$  FAST( $\_$ )<sup>^</sup>BROWN( $\_$ )<sup>^</sup>HORSE( $\_$ )

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Monad + Monad  $\rightarrow$  Monad

for each entity:

$\Phi(\_)^{\wedge}\Psi(\_)$  applies to it

if and only if

$\Phi(\_)$  applies to it, and

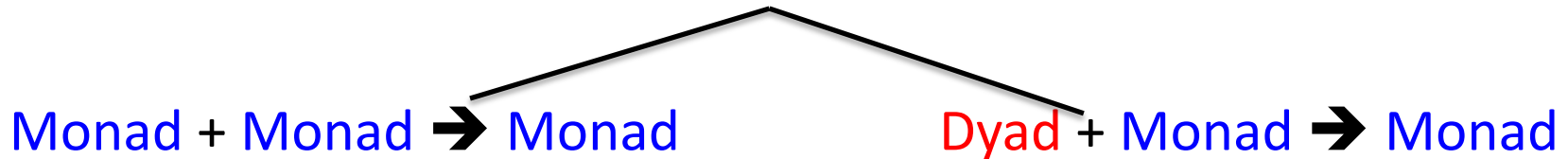
$\Psi(\_)$  applies to it

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for each entity:

$\Phi(\_)^{\wedge}\Psi(\_)$  applies to it  
if and only if

$\Phi(\_)$  applies to it, and  
 $\Psi(\_)$  applies to it

$ON(\_, \_) + HORSE(\_)$



$\exists [ \underbrace{ON(\_, \_)}_{\text{(thing that is)}} \wedge \underbrace{HORSE(\_)}_{\text{on a horse}} ]$

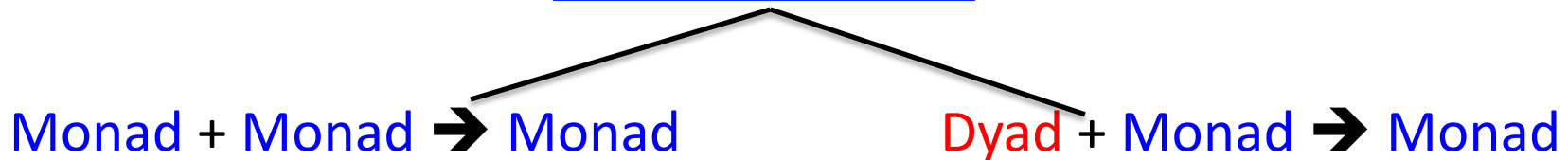
(thing that is) on a horse

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$ON(\_, \_) + HORSE(\_)$



$\exists[ON(\_, \_)^{\wedge}HORSE(\_)]$

(thing that is) on a horse  
# thing that a horse is on

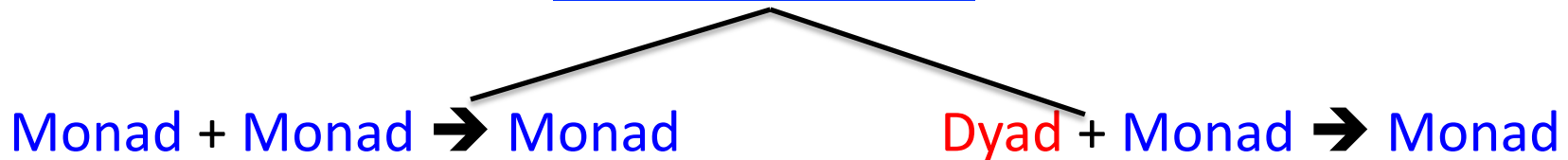


We can imagine a language whose expressions are limited to...

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(3) boundlessly many complex monadic predicates



for each entity:

$\Phi(\_) \wedge \Psi(\_)$  applies to it  
if and only if  
 $\Phi(\_)$  applies to it, and  
 $\Psi(\_)$  applies to it

for each entity:

$\exists[\Delta(\_, \_) \wedge \Psi(\_)]$  applies to it  
if and only if  
it bears  $\Delta$  to something  
that  $\Psi(\_)$  applies to

$\exists[\text{AGENT}(\_, \_) \wedge \text{HORSE}(\_)] \wedge \text{EAT}(\_) \wedge \text{FAST}(\_)$

*is like*

$\exists e[\text{AGENT}(e', e) \ \& \ \text{HORSE}(e)] \ \& \ \text{EAT}(e') \ \& \ \text{FAST}(e')$

$\exists[\text{AGENT}(\_, \_) \wedge \text{FAST}(\_) \wedge \text{HORSE}(\_)] \wedge \text{EAT}(\_)$

*is like*

$\exists e[\text{AGENT}(e', e) \ \& \ \text{FAST}(e) \ \& \ \text{HORSE}(e)] \ \& \ \text{EAT}(e')$

We don't need variables to capture the meanings of 'horse eat fast' and 'fast horse eat'.

$SEE(\_)^{\exists}[THEME(\_, \_)^{\exists}HORSE(\_)]$

*is like*

$SEE(e') \& \exists e[THEME(e', e) \& HORSE(e)]$

$SEE(\_)^{\exists}[THEME(\_, \_)^{\exists}[AGENT(\_, \_)^{\exists}HORSE(\_)]^{\exists}EAT(\_)]$

*is like*

$SEE(e'') \& \exists e'[THEME(e'', e') \& \exists e[AGENT(e', e)^{\exists}HORSE(e)] \& EAT(e')]$

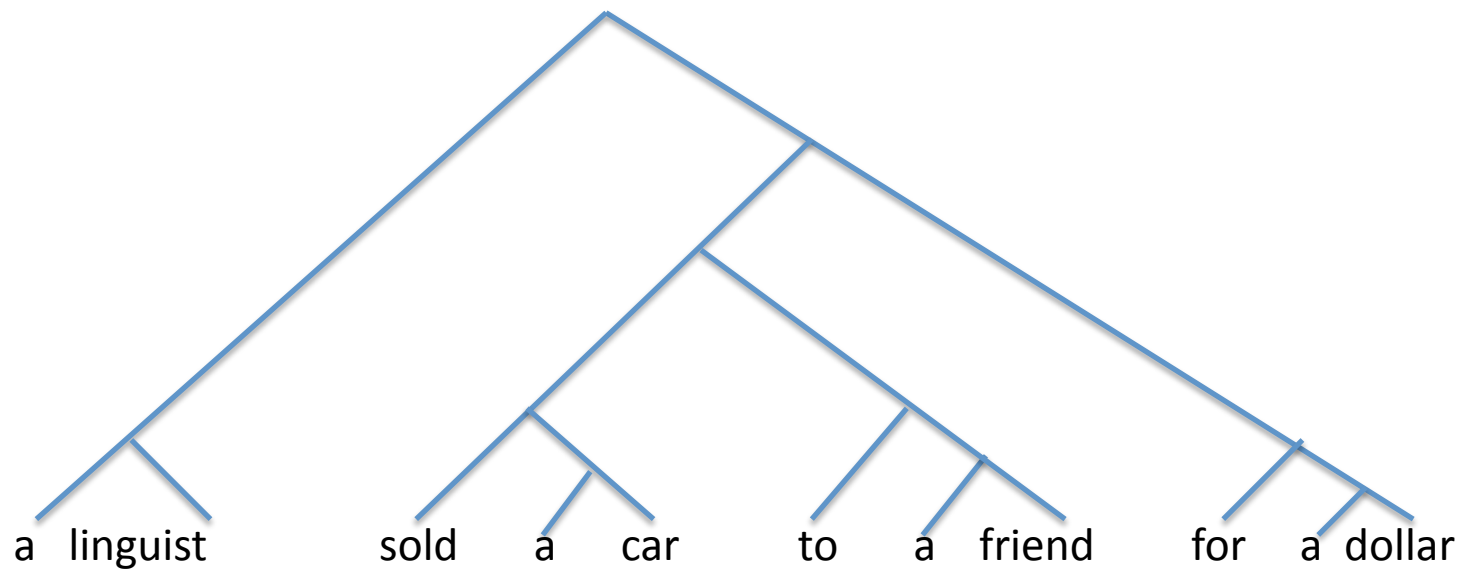
We don't need variables to capture the meanings of 'see a horse' and 'see a horse eat'.

## What are the Human Meaning Types?

- two basic types,  $\langle e \rangle$  and  $\langle t \rangle$
- endlessly many derived types of the form  $\langle \alpha, \beta \rangle$
- $\langle \alpha \rangle$  can combine with  $\langle \alpha, \beta \rangle$  to form  $\langle \beta \rangle$

- a monadic type  $\langle M \rangle$
- a dyadic type  $\langle D \rangle$ , for finitely many atomic expressions
- $\langle M \rangle + \langle M \rangle \rightarrow \langle M \rangle$
- $\langle M \rangle + \langle D \rangle \rightarrow \langle M \rangle$

# Can Human Lexical Items have “Level Four Meanings”?

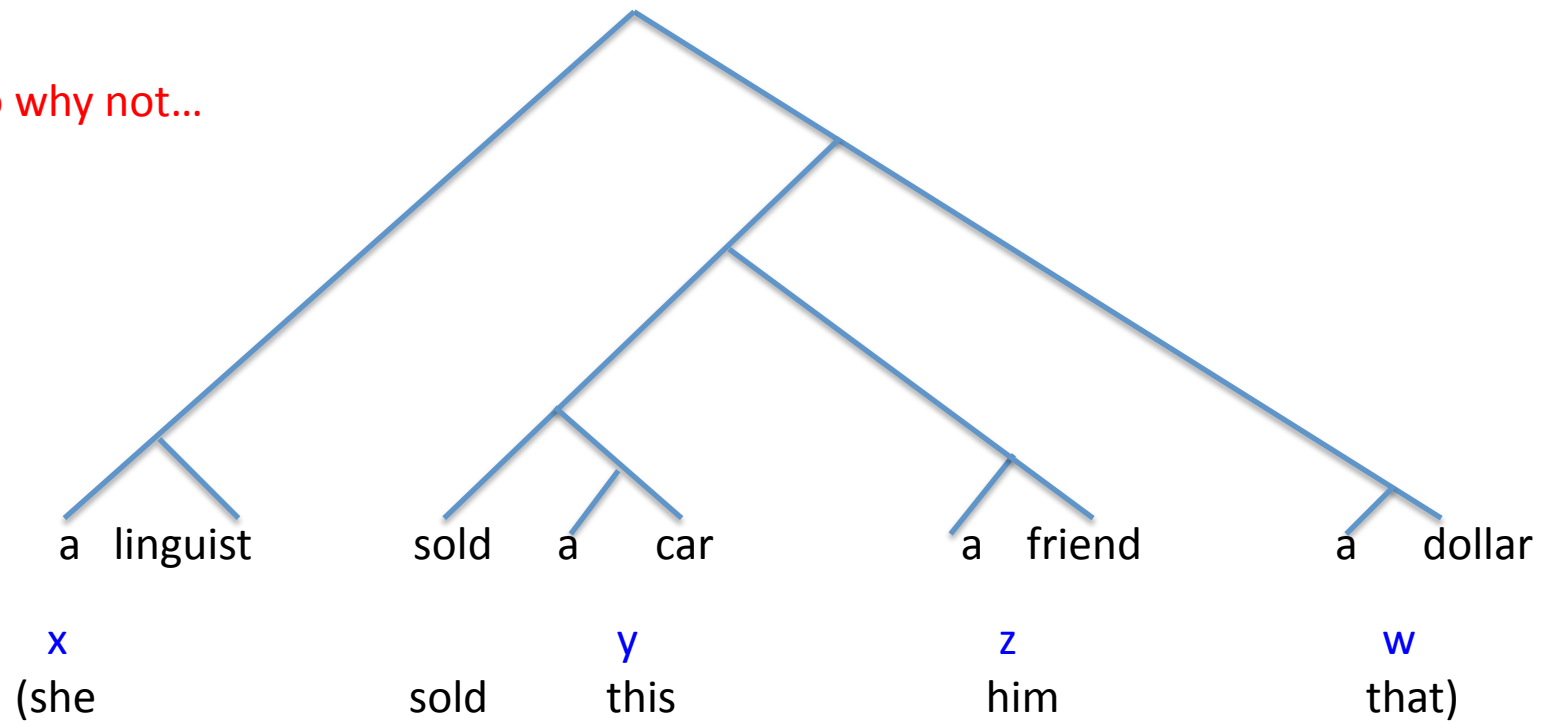


(sold a friend a car for a dollar)

whatever the order of arguments,  
the concept SOLD, which differs from GAVE,  
is plausibly (at least) tetradic

# Can Human Lexical Items have “Level Four Meanings”?

So why not...



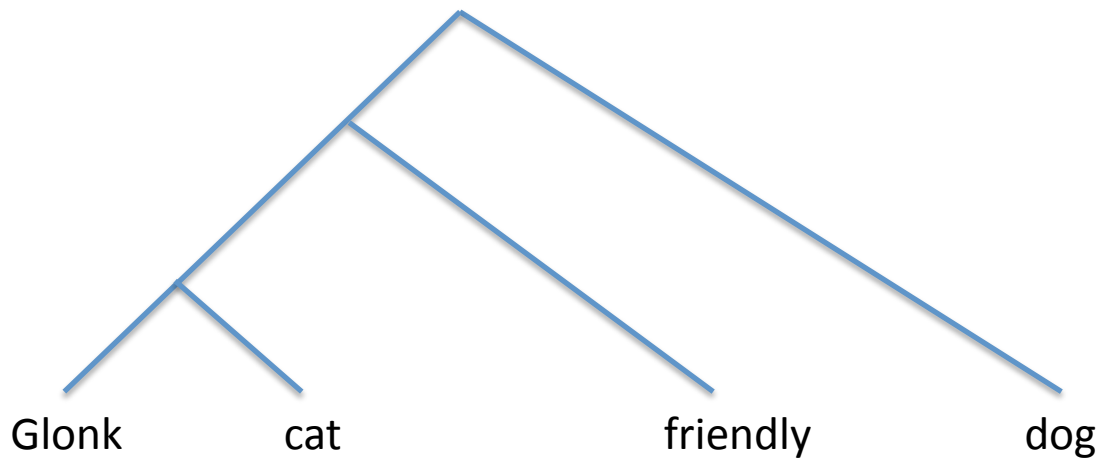
$\lambda y. \lambda z . \lambda w. \lambda x . x \text{ sold } y \text{ to } z \text{ for } w$

# Can Human Lexical Items have “Level Four Meanings”?

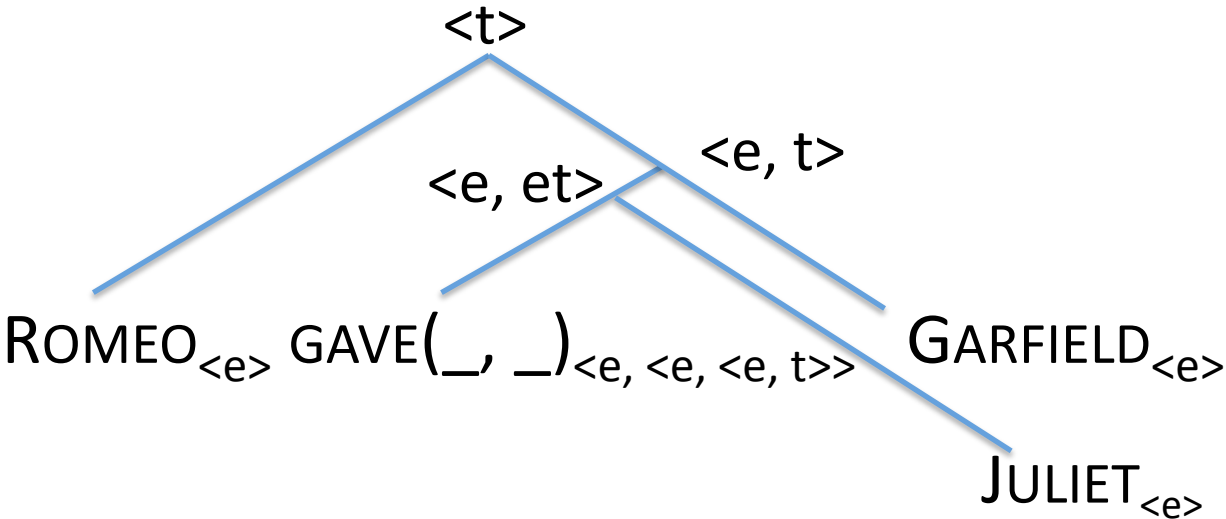
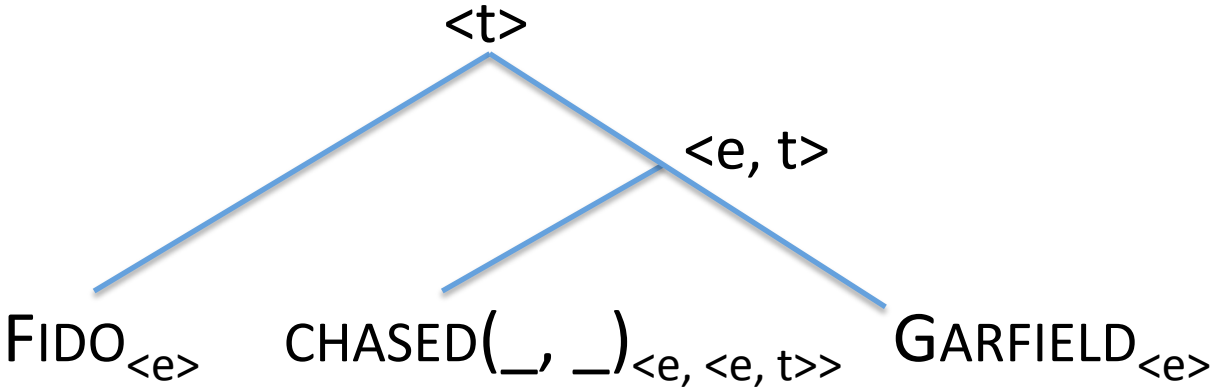
$\lambda Z . \lambda Y . \lambda X . \text{GLONK}(X, Y, Z)$

$\forall x[X(x) \vee Y(x) \vee Z(x)]$

$\exists x[X(x) \& Y(x)] \& \exists x[Y(x) \& Z(x)]$

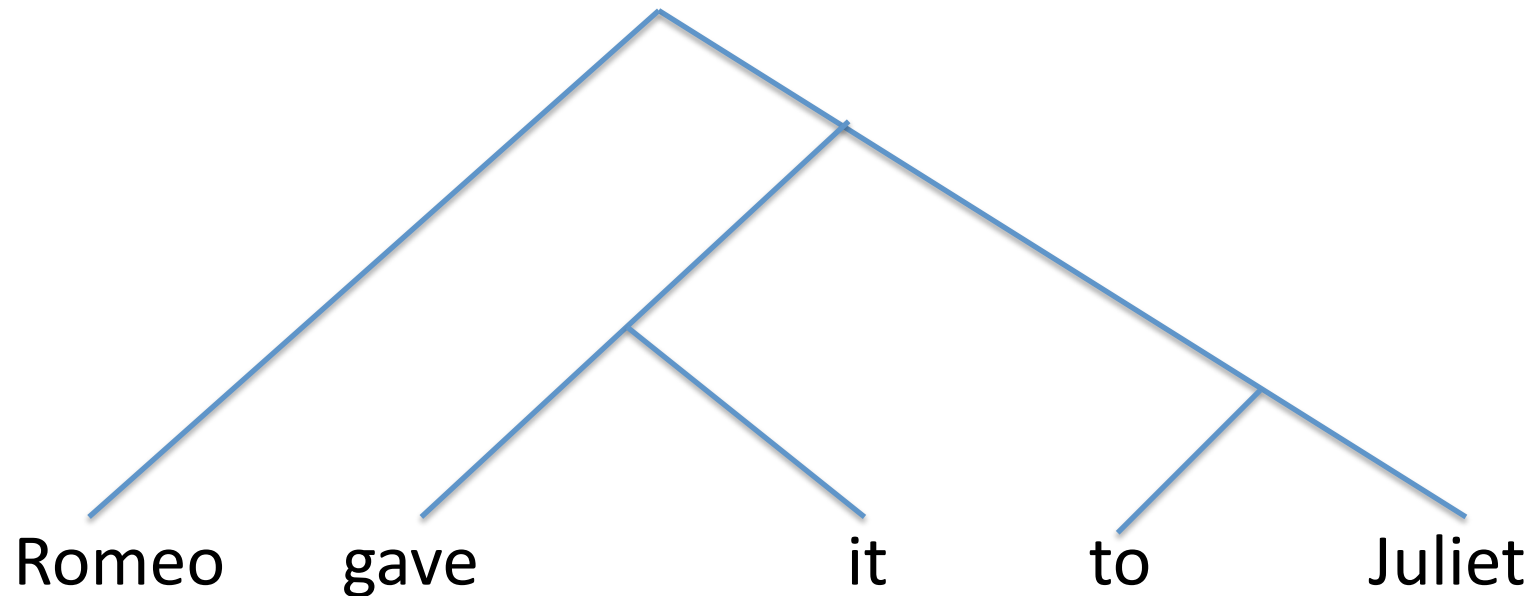


# Can Human Lexical Items have Level Three Meanings?

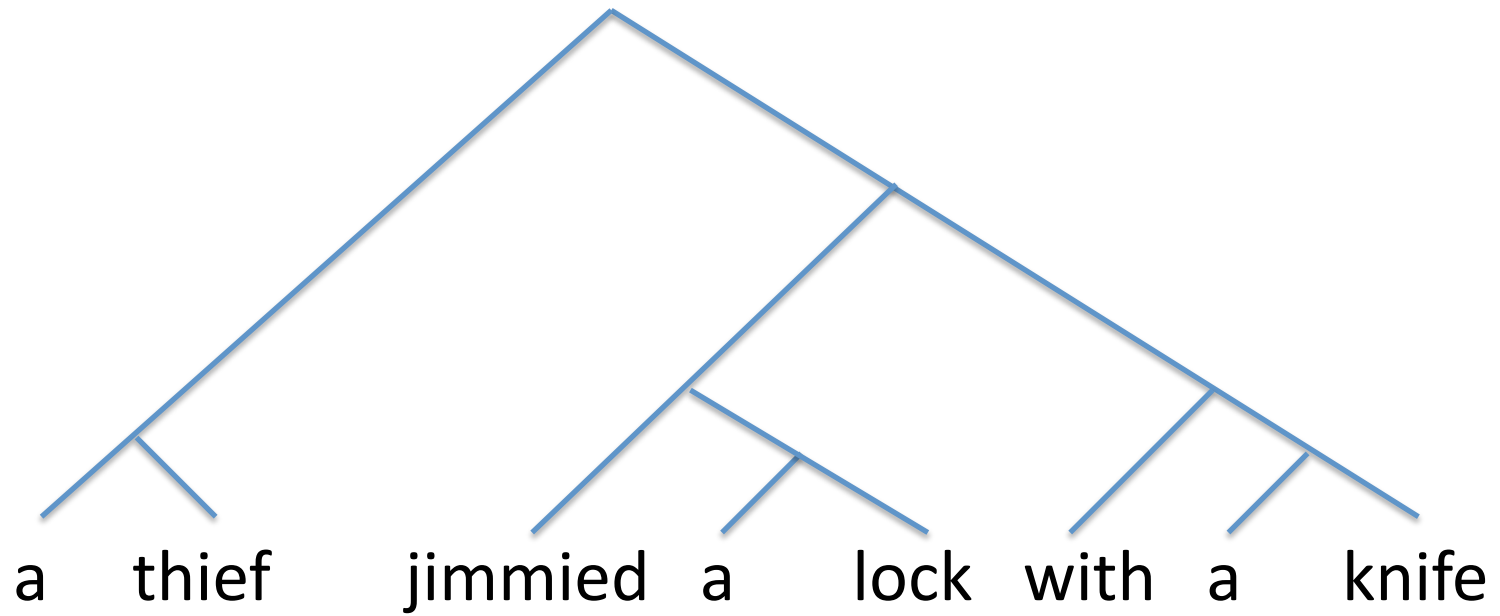




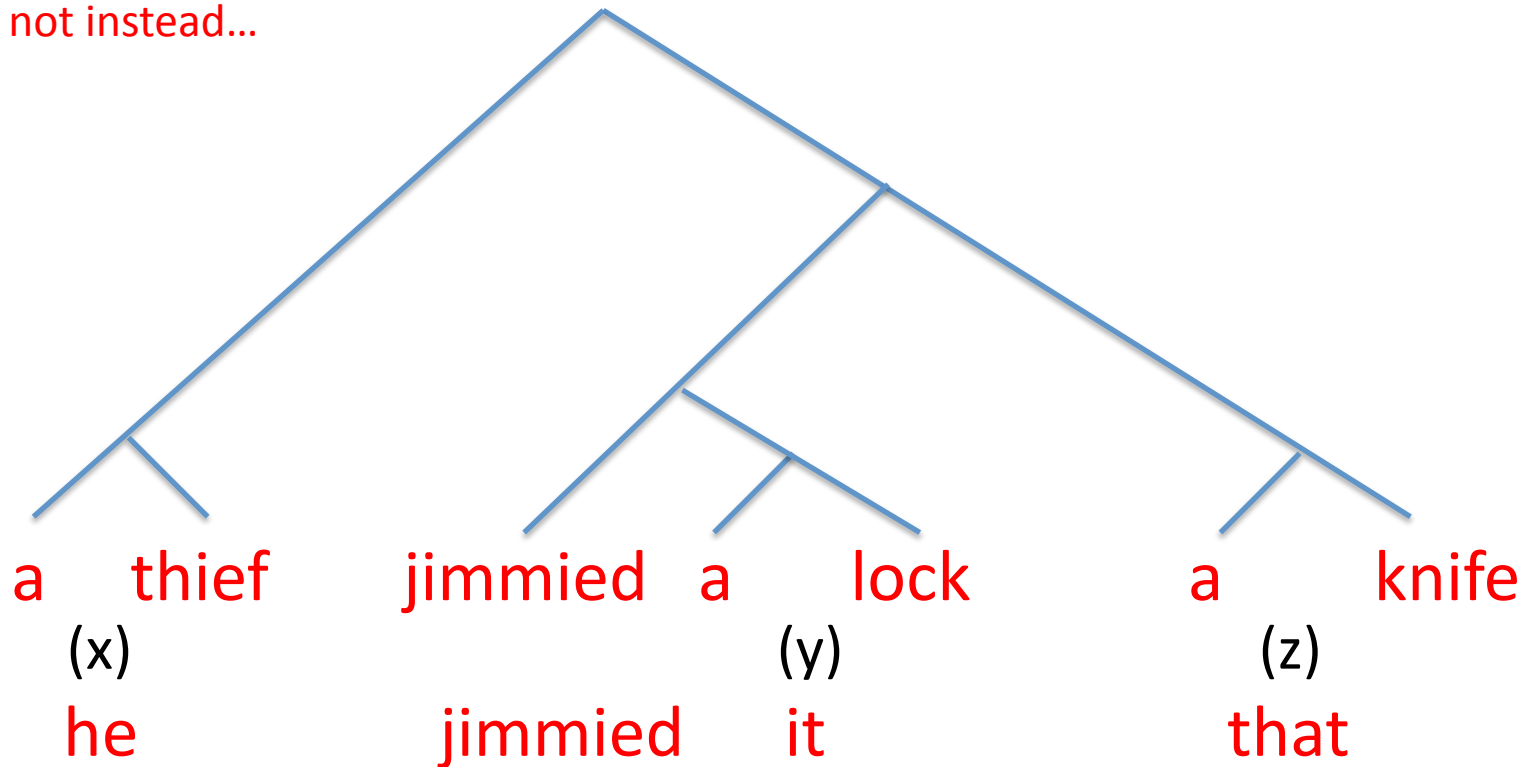
but double-object constructions do not show that verbs can have Level Three Meanings



Romeo kicked the rock to Juliet  
Romeo kicked Juliet the rock



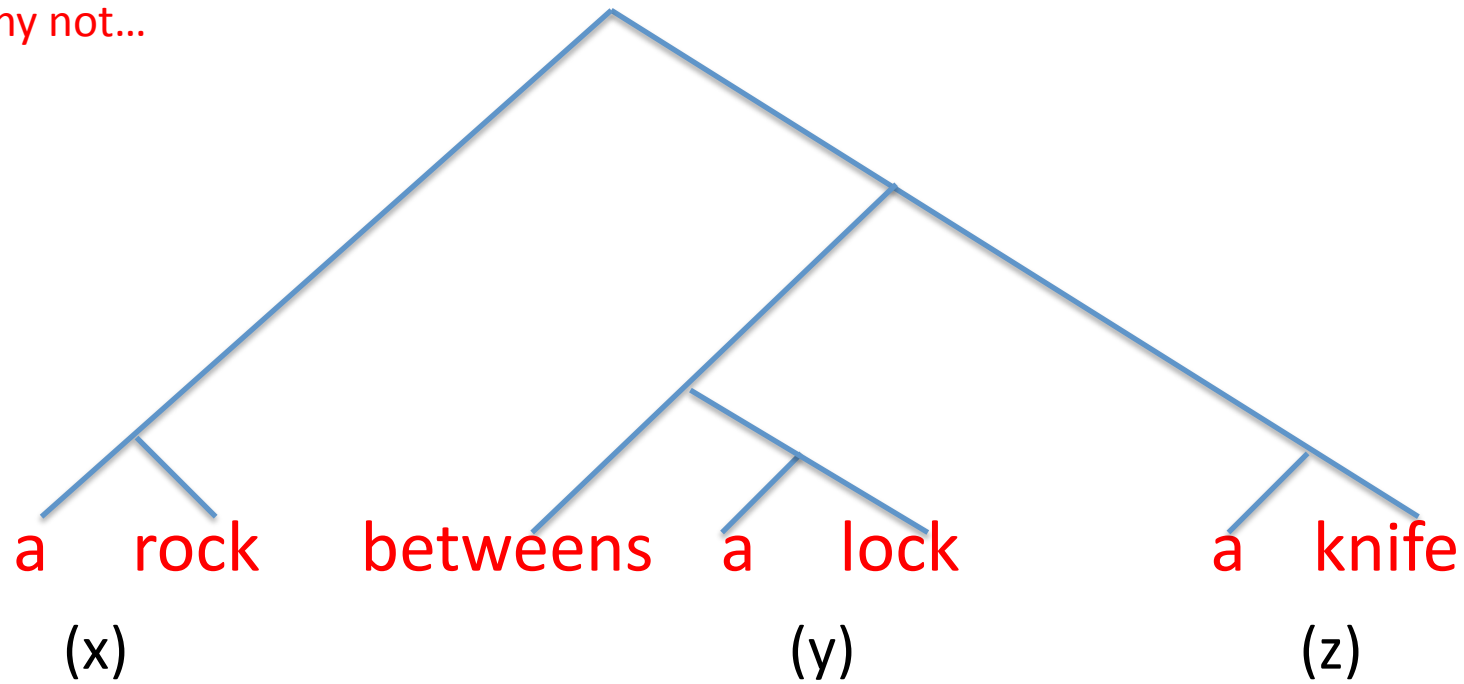
Why not instead...



'jimmied'  $\rightarrow \lambda z. \lambda y . \lambda x . x \text{ jimmied } y \text{ with } z$

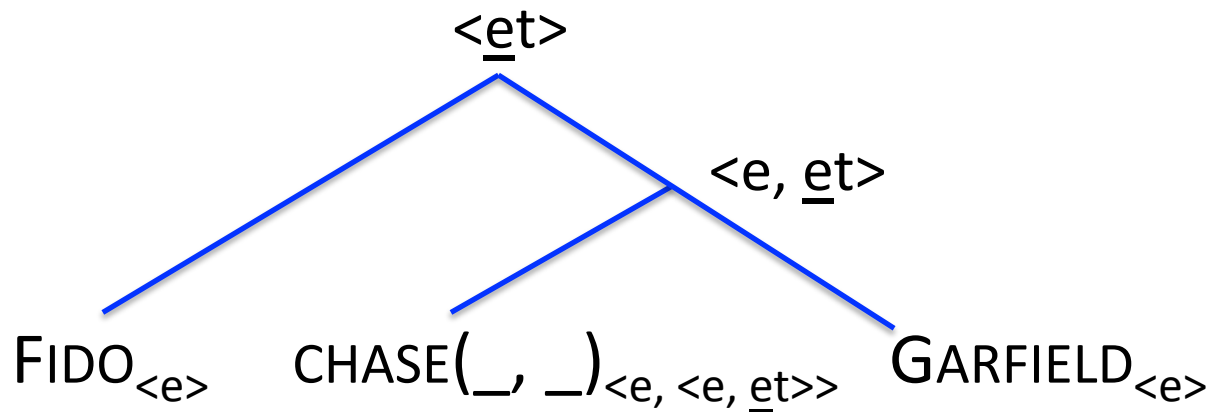
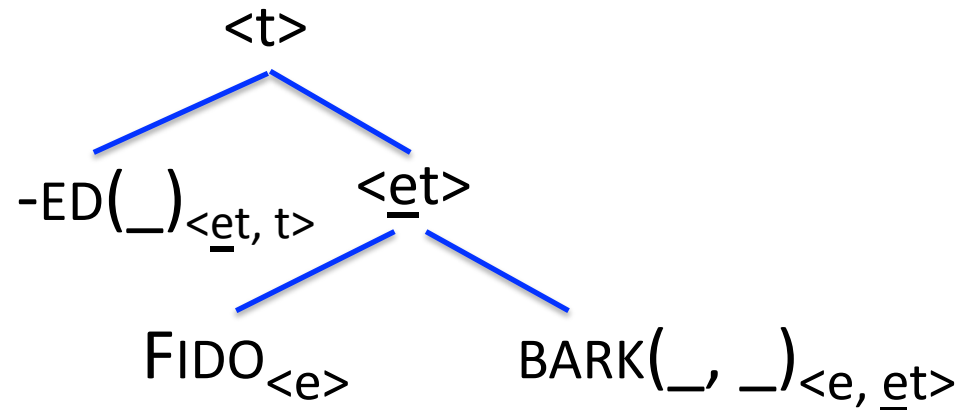
The concept JIMMIED is plausibly (at least) triadic.  
So why isn't the verb of type  $\langle e, \langle e, \langle et \rangle \rangle \rangle$ ?

Why not...

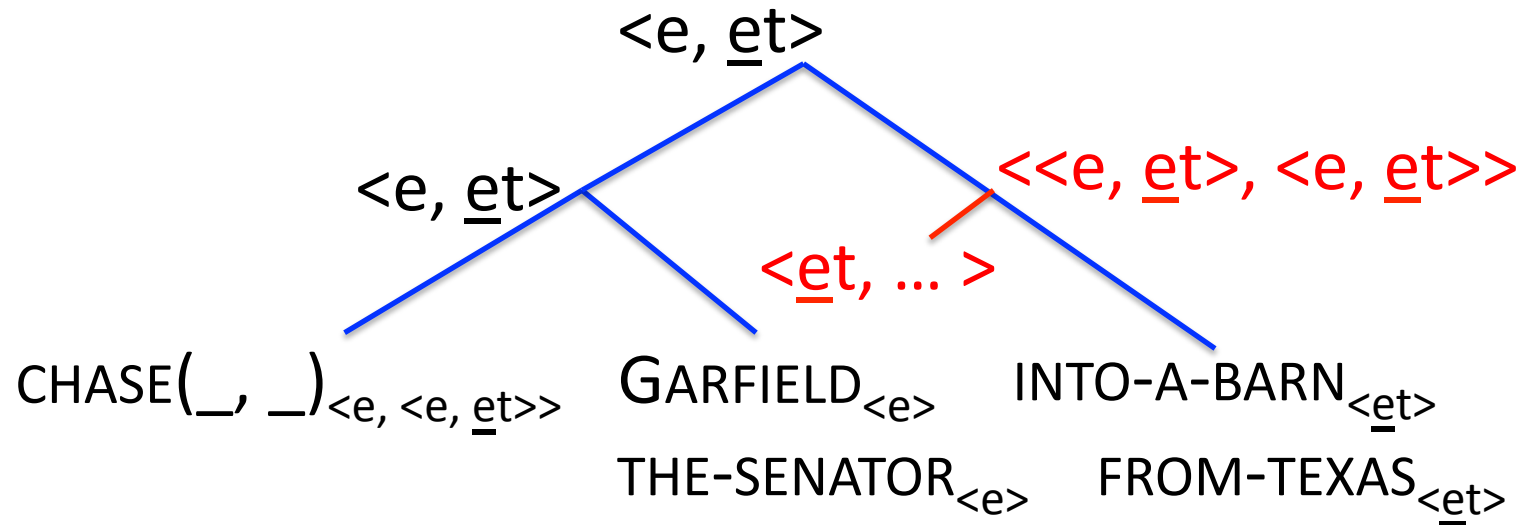


'between'  $\rightarrow \lambda z. \lambda y . \lambda x . x$  is between  $y$  and  $z$

Still, one might think that many verbs do have Level Three Meanings...

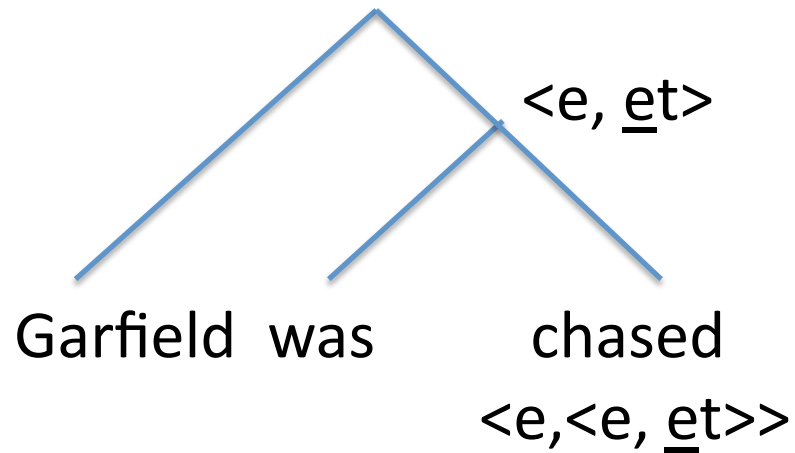


## Can Human Lexical Items have Level Three Meanings?

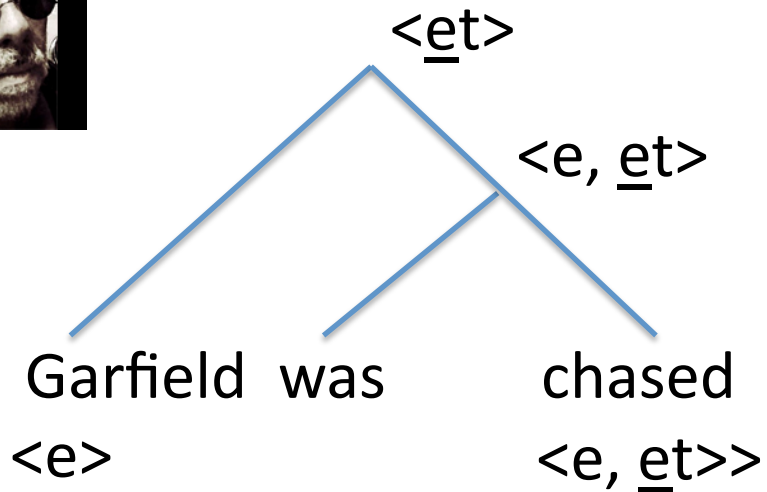
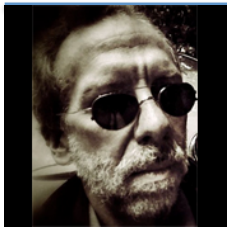


Saying that expressions of type <e, et> can be modified by expressions of type <et> is like positing a covert Level 4 element.

And why does the modifier skip over the thing chased, applying instead to the chase?



if the meaning of 'chase'  
is at Level Three,  
then a "passivizer" would  
also be at Level Four:  
 $\langle\langle e, \langle e, \underline{et} \rangle, \langle e, \underline{et} \rangle \rangle$

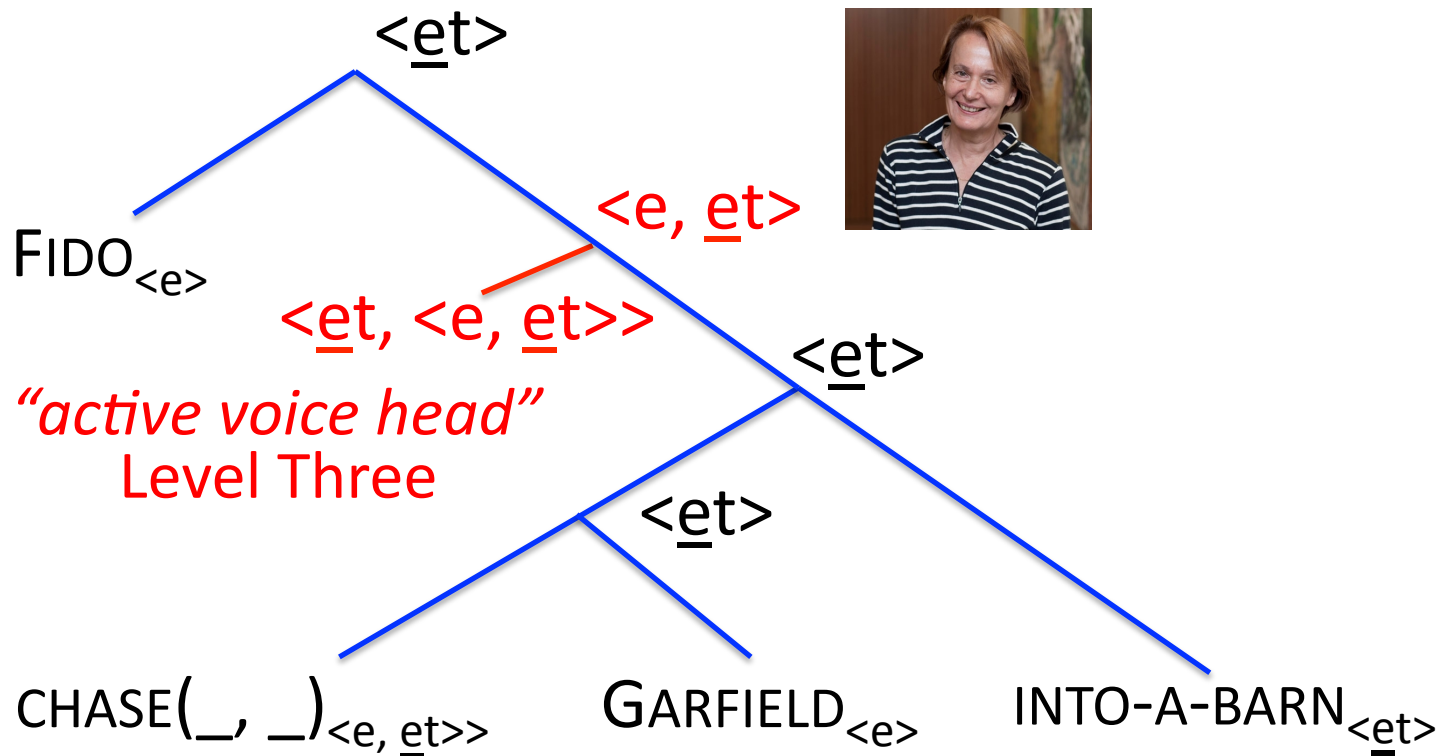


Kratzer and others  
"sever" agent-variables  
from verb meanings:

'chase' →

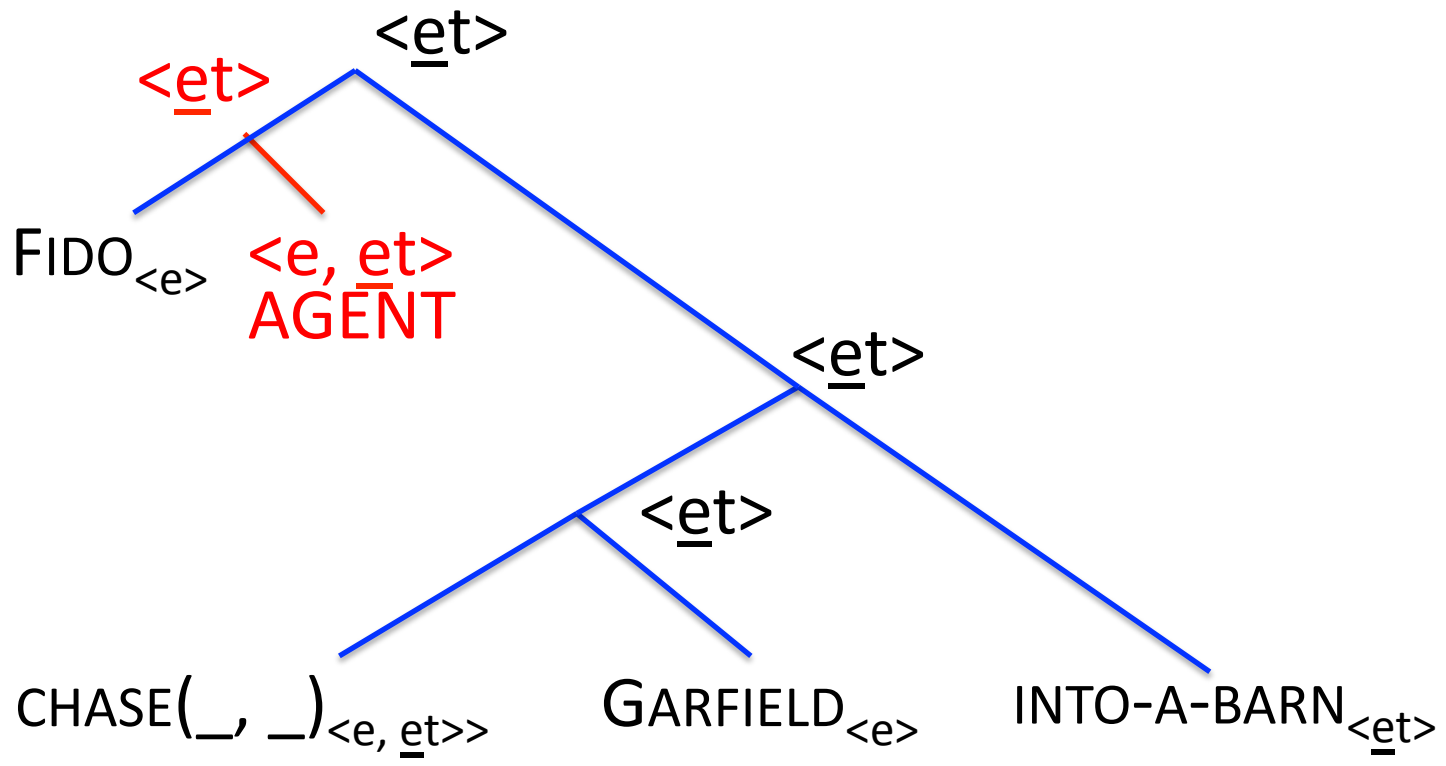
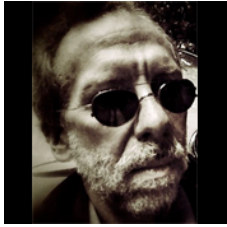
$\lambda y. \lambda e . e$  is a chase of  $y$





But if the posited verb meaning is below Level Three, do we really need the covert Level Three element?





## What are the Human Meaning Types?

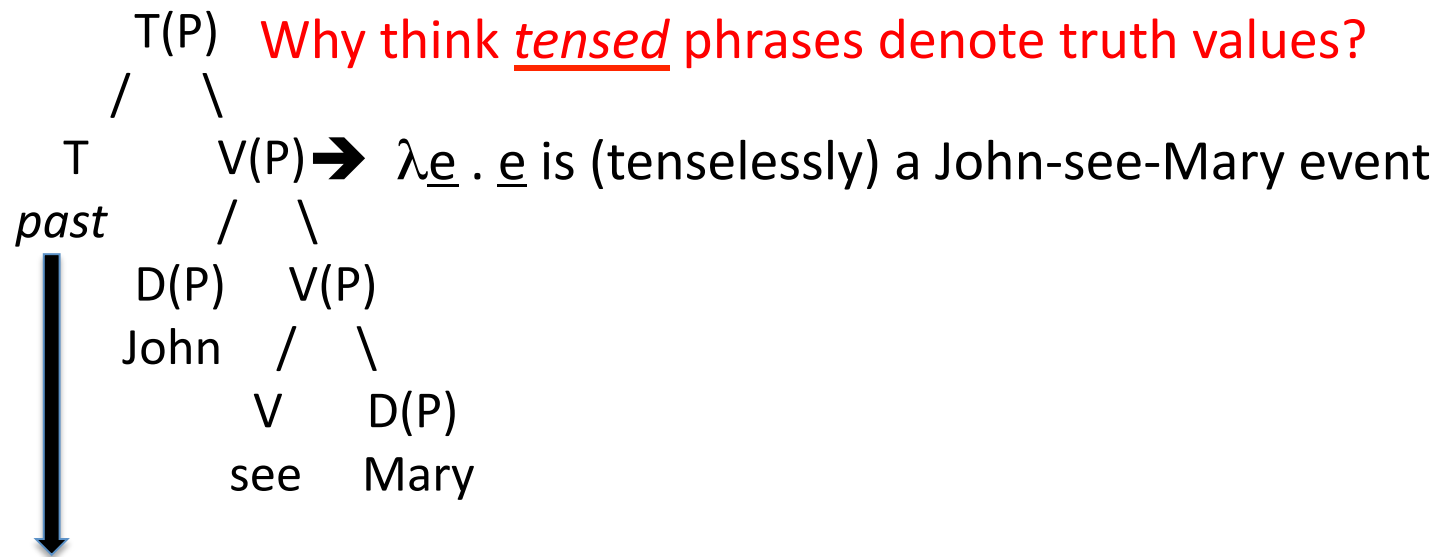
- one familiar answer, via Frege's conception of ideal languages
  - (i) a basic type  $\langle e \rangle$ , for entity denoters
  - (ii) a basic type  $\langle t \rangle$ , for thoughts or truth-value denoters
  - (iii) if  $\langle \alpha \rangle$  and  $\langle \beta \rangle$  are types, then so is  $\langle \alpha, \beta \rangle$
- but is it independently plausible that some of our human linguistic expressions have meanings of type  $\langle e \rangle$ ?
  - proper nouns like 'Tyler', 'Burge', and 'Pegasus'?
  - pronouns like 'he', 'she', 'it', 'this', 'that' ?
- we know how to Pegasize, and treat names as special cases of monadic predicates

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- but is it independently plausible that some of our human linguistic expressions have meanings of type  $\langle t \rangle$ ?
  - which ones? VPs, TPs, CPs?
  - pronouns like 'he', 'she', 'it', 'this', 'that' ?
- we know (via Tarski) how to treat "sentences" as special cases of monadic predicates

# Do Human i-Languages have expressions of type $\langle t \rangle$ ?

S  $\rightarrow$  NP aux VP



Why think the tense morpheme

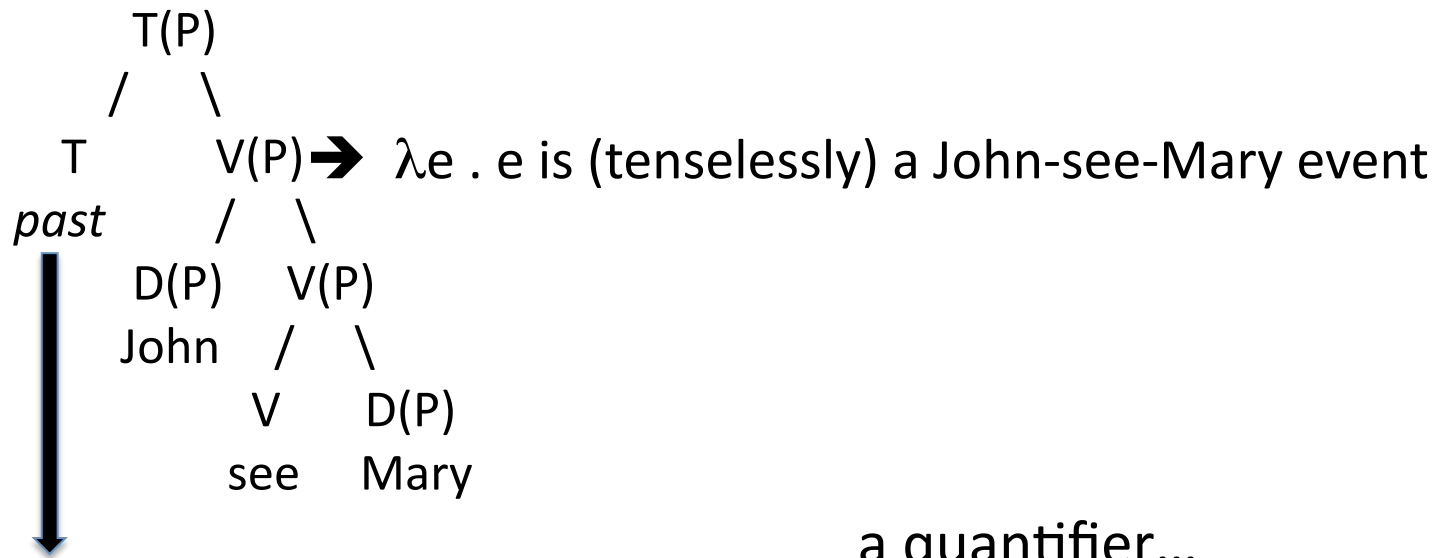
is of type  $\langle \underline{e}t, t \rangle$

as opposed to  $\langle \underline{e}t \rangle$  or  $\langle M \rangle$

$\lambda \underline{E} . \exists \underline{e} [\text{Past}(\underline{e}) \ \& \ \underline{E}(\underline{e})]$

$\lambda \underline{e} . \text{Past}(\underline{e})$

# Do Human i-Languages have expressions of type $\langle t \rangle$ ?



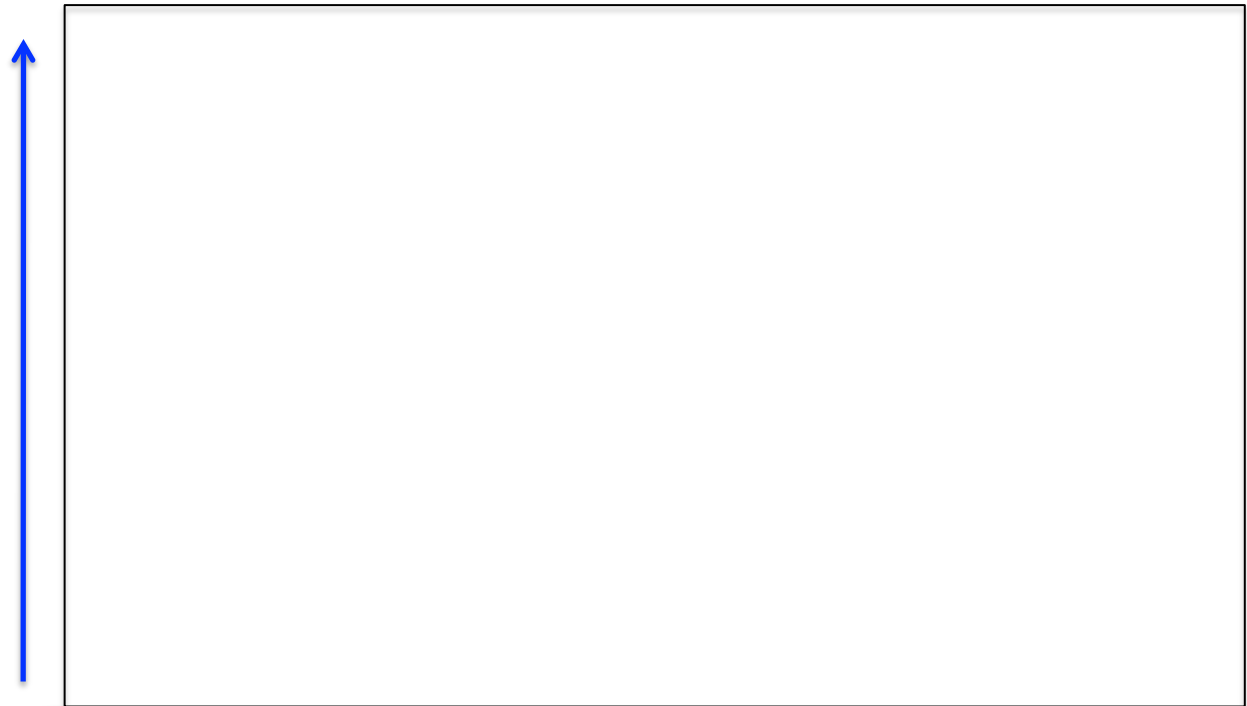
Why think the tense morpheme  
is of type  $\langle \underline{e}t, t \rangle$

a quantifier...

|  
λE . ∃e[Past(e) & E(e)]

...that is also a  
conjunctive adjunct to V?

Kinds of  
Quantifiers



Propositional Calculus

0

1  
(monadic)

$Mx \ \& \ Px$

2

(dyadic)

$Rxy$   
 $Mx \ \& \ Py$

3

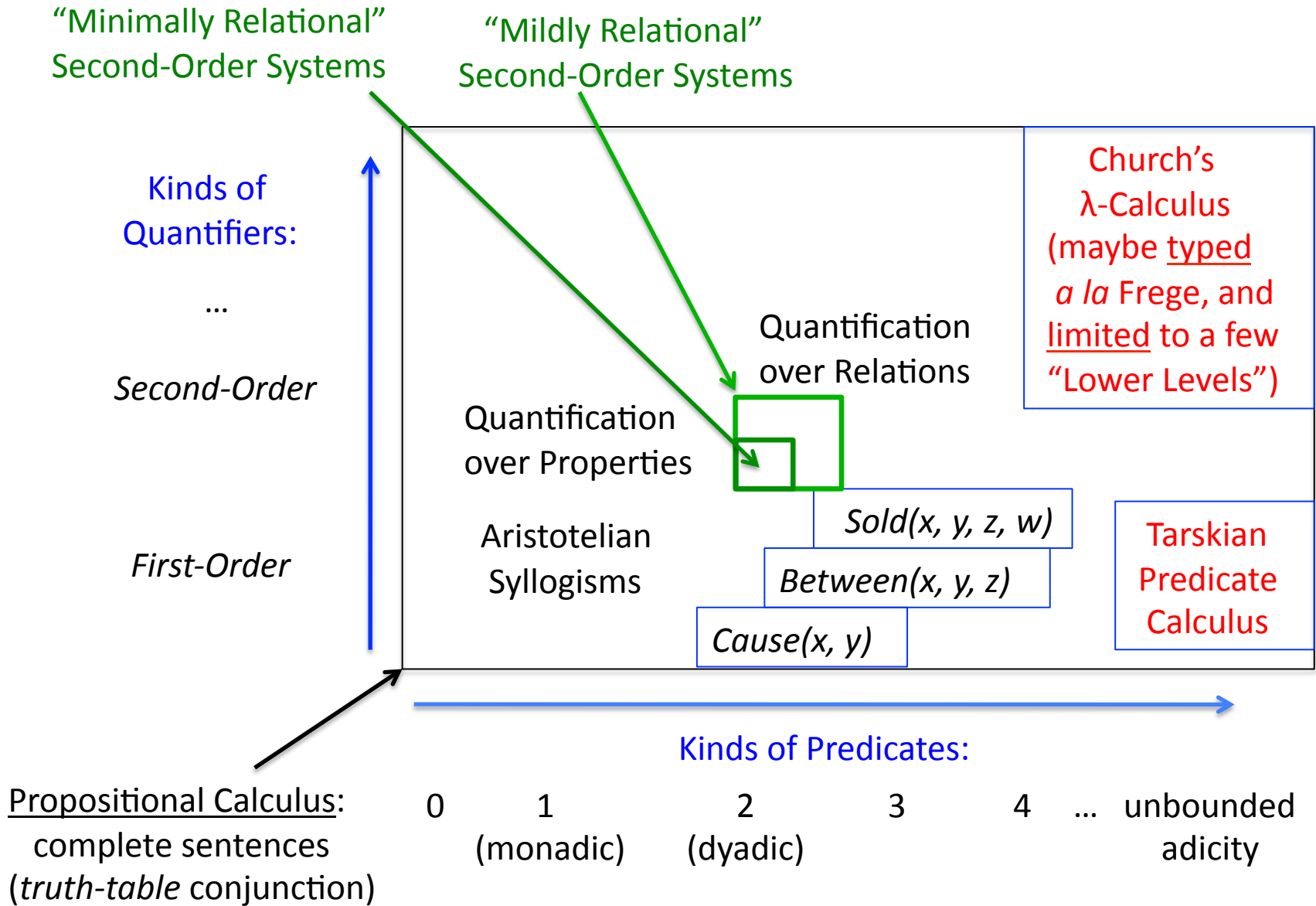
4

...

unbounded  
adicity

$\dots \ \& \ Syz \ \& \ Rxw \ \& \ Bzuv \ \& \ \dots$

Kinds of Predicates:



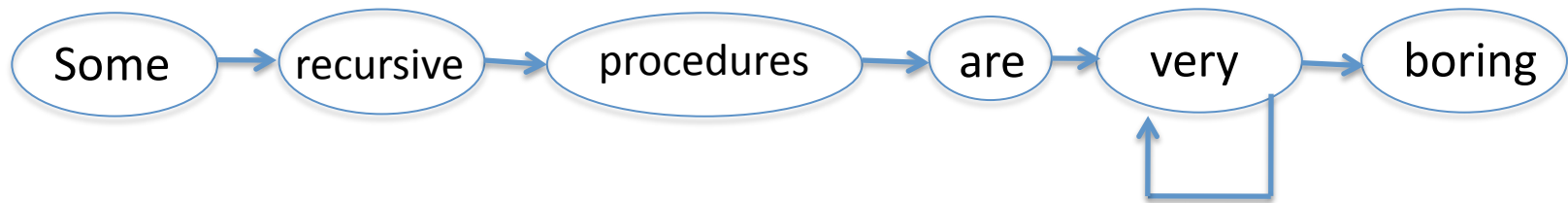
## Plan for Rest of the Talk

- Characterize a notion of “Minimally Relational”
- Describe a Possible Language that is Minimally Relational and (correlatively) “Minimally Interesting” in this respect
- Suggest that while Human Meanings may be a little more interesting, they approximate Minimal Relationality
- End with reminders of some other respects in which Human Languages seem to be Minimally Interesting, and suggest that semantic typology is yet another case



# Flavors of Recursion

- Some recursive procedures are very, very, ... , very boring
- Others generate more interesting  
[phrases [within [phrases [within [phrases ... ]]]]]
- And some allow for displacement of a sort  
that permits construction of relative clauses  
like 'who saw Juliet' and 'who Romeo saw',  
whose elements can be systematically recombined  
to form boundlessly many expressions  
that allow for displacement...



N → phrases

NP → N

P → within

PP → P NP

PP → within NP → within N → within phrases

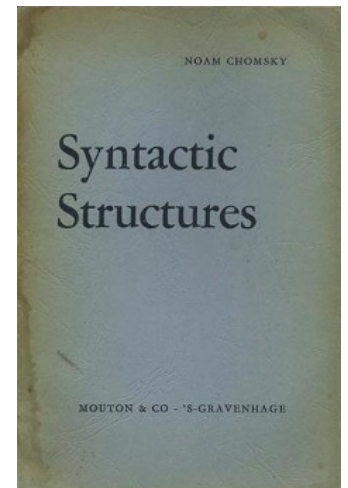
NP → N PP

NP → N within phrases → phrases within phrases

S → NP aux VP → Romeo did see Juliet →

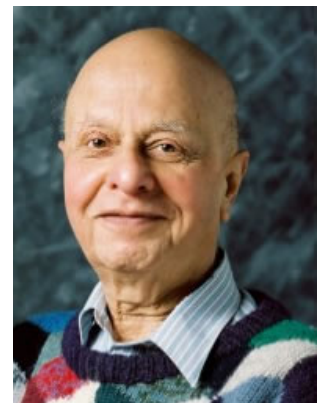
Romeo saw Juliet → Romeo saw *who* →

*who* Romeo saw *t* ← CP



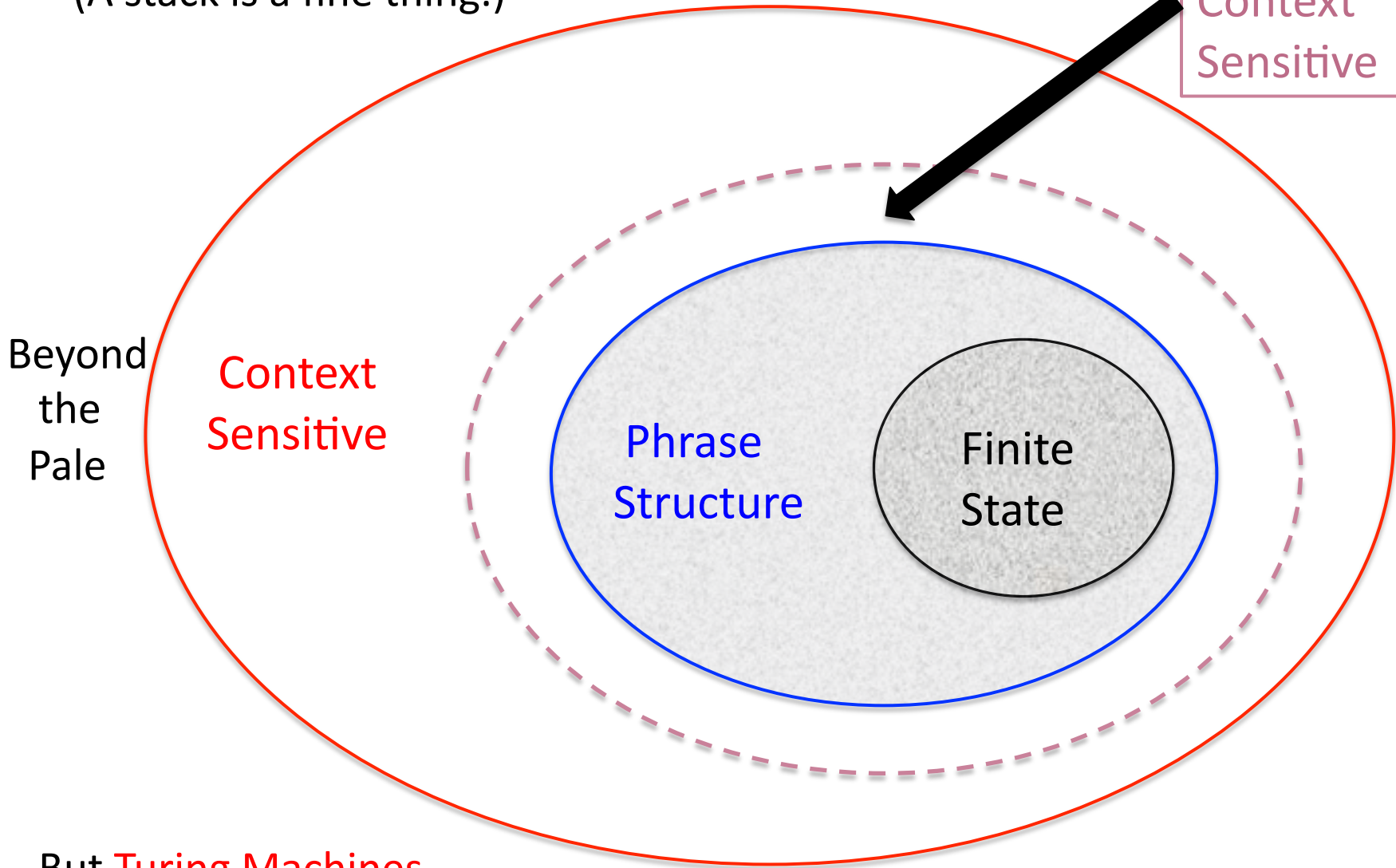
# Ways of Generating Lots of Expressions

- Finite State (Markovian)
- Phrase Structure (“Context Free”)
- Transformational
  - but humanly constrained (“mildly” context sensitive)
  - not so constrained (“pret-ty” context sensitive)
  - computable but otherwise unconstrained



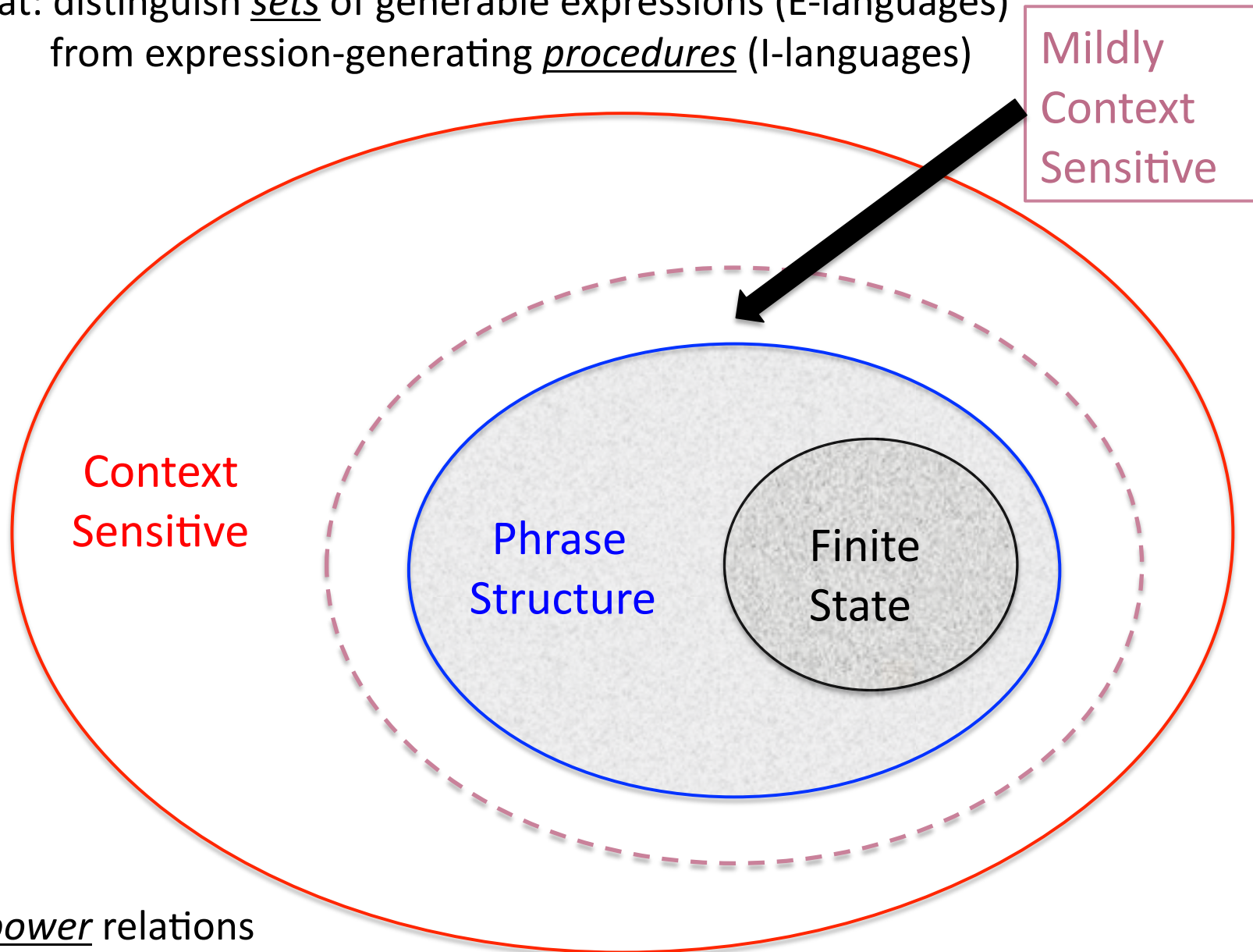
PushDown Automata are not very, ..., very boring.  
(A stack is a fine thing.)

Mildly  
Context  
Sensitive



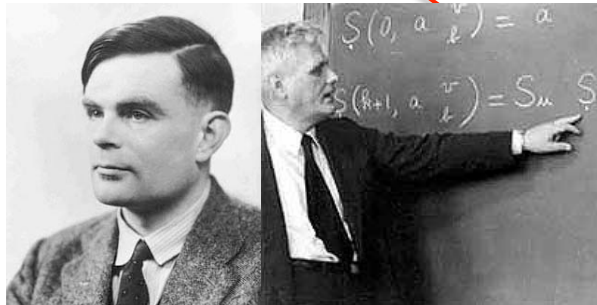
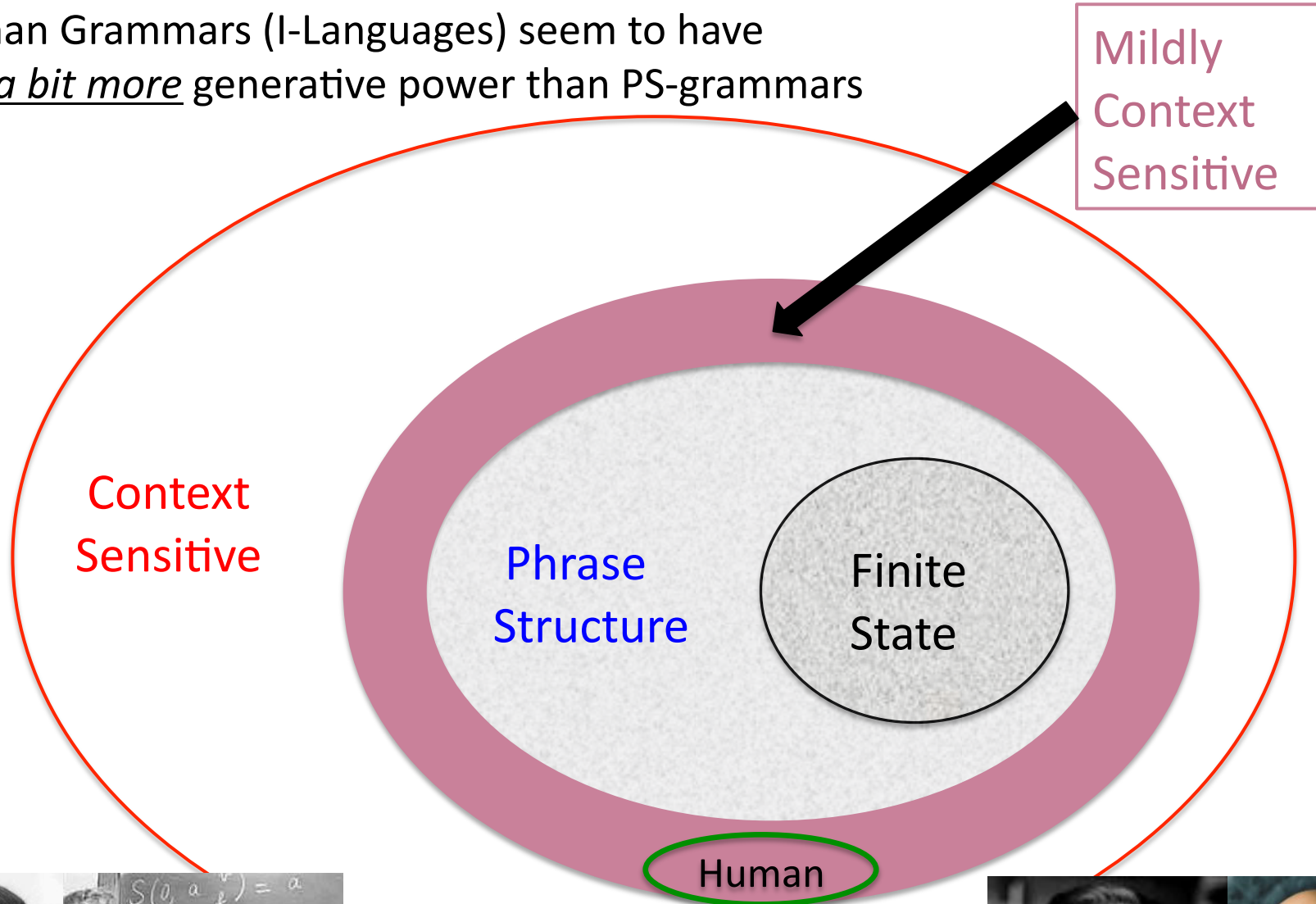
But Turing Machines  
(with limited tape) can do a lot more.

Caveat: distinguish sets of generable expressions (E-languages)  
from expression-generating procedures (I-languages)



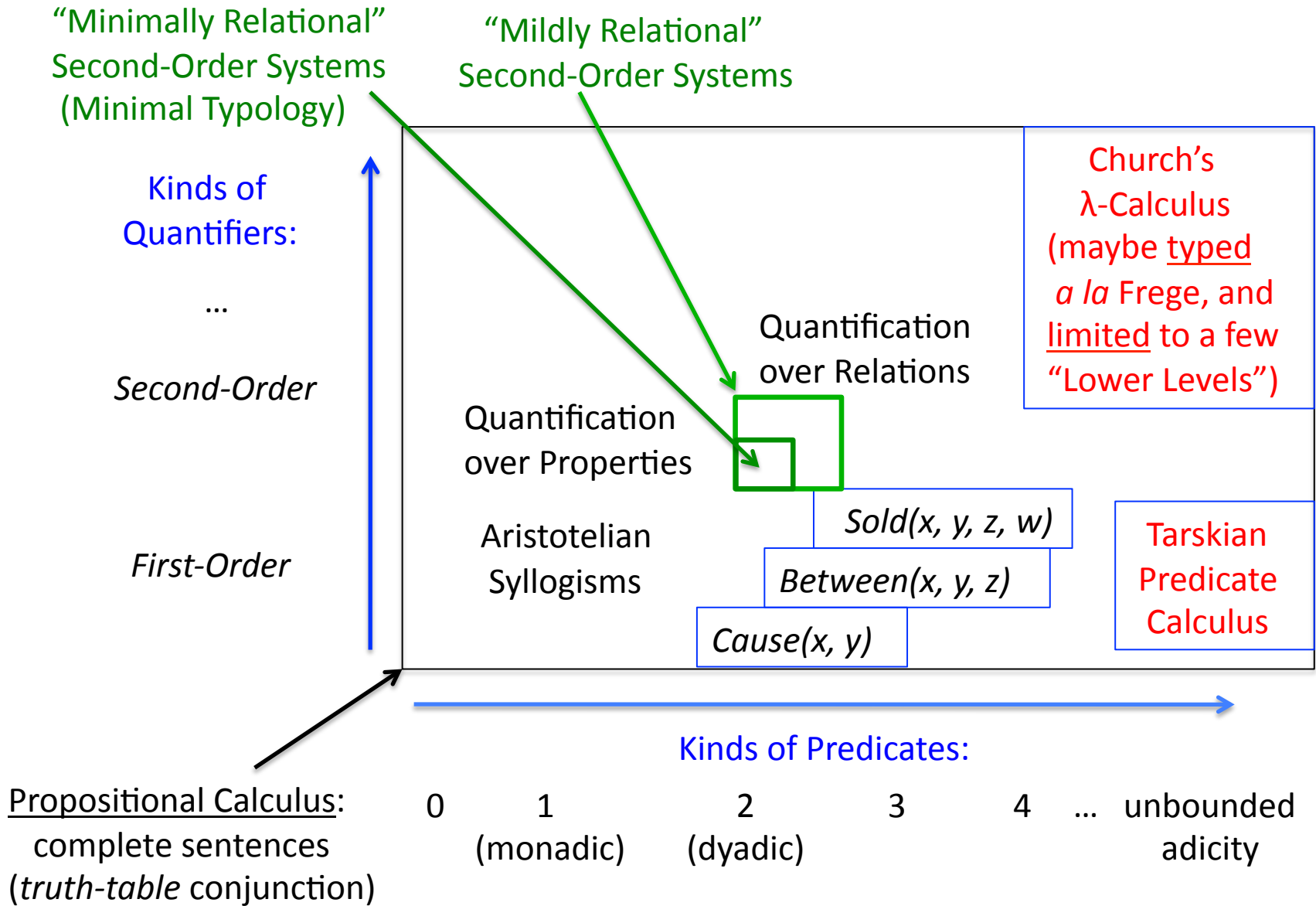
the power relations  
reflect the available operations: with regard to generative capacity,  
CS-grammars > PS-grammars > FS-grammars

Human Grammars (I-Languages) seem to have a bit more generative power than PS-grammars



This locates Human Languages in a “Computational Space.” Can they be located in a “Semantic Space”?





a basic type  $\langle e \rangle$ , for entity denoters  
 a basic type  $\langle t \rangle$ , for truth-value denoters  
 if  $\langle \alpha \rangle$  and  $\langle \beta \rangle$  are types, then so is  $\langle \alpha, \beta \rangle$

at Level 5,  
 more than  $5 \times 10^{12}$

0.	$\langle e \rangle$	$\langle t \rangle$	(2) types at Level Zero			
1.	$\langle e, e \rangle$	$\langle e, t \rangle$	$\langle t, e \rangle$	$\langle t, t \rangle$	(4) at Level One, all $\langle 0, 0 \rangle$	
2.	eight of $\langle 0, 1 \rangle$	eight of $\langle 1, 0 \rangle$	(32), including $\langle e, et \rangle$	sixteen of $\langle 1, 1 \rangle$	and $\langle et, t \rangle$	
3.	64 of $\langle 0, 2 \rangle$	64 of $\langle 2, 0 \rangle$	(1408), including	128 of $\langle 1, 2 \rangle$	128 of $\langle 2, 1 \rangle$	$\langle e, \langle e, et \rangle \rangle$ ; $\langle et, \langle et, t \rangle \rangle$ ;
	1024 of $\langle 2, 2 \rangle$		and $\langle \langle e, et \rangle, t \rangle$			
4.	2816 of $\langle 0, 3 \rangle$	2816 of $\langle 3, 0 \rangle$	(2,089,472), including	5632 of $\langle 1, 3 \rangle$	5632 of $\langle 1, 3 \rangle$	$\langle e, \langle e, \langle e, \langle et \rangle \rangle \rangle$ and
	45,056 of $\langle 2, 3 \rangle$	45,056 of $\langle 3, 2 \rangle$	$\langle \langle e, et \rangle, \langle \langle e, et \rangle, t \rangle$	1,982,464 of $\langle 3, 3 \rangle$		



Thanks,  
and thanks to Jim

*James Higginbotham*      **On Semantics**

In this article I will formulate a comprehensive conception of semantic inquiry in generative linguistics. In conjunction with specific applications, I will address questions about domains of investigation, the data in those domains that ought to be accounted